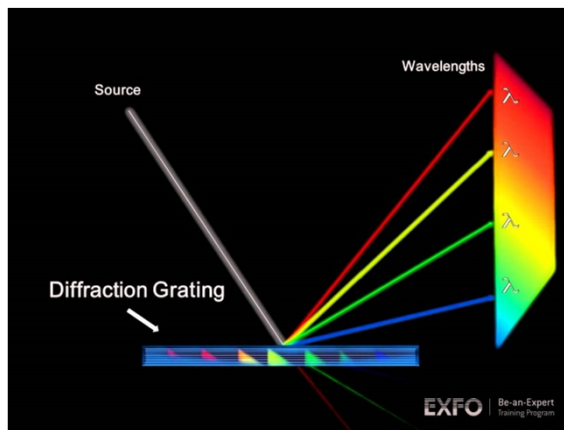
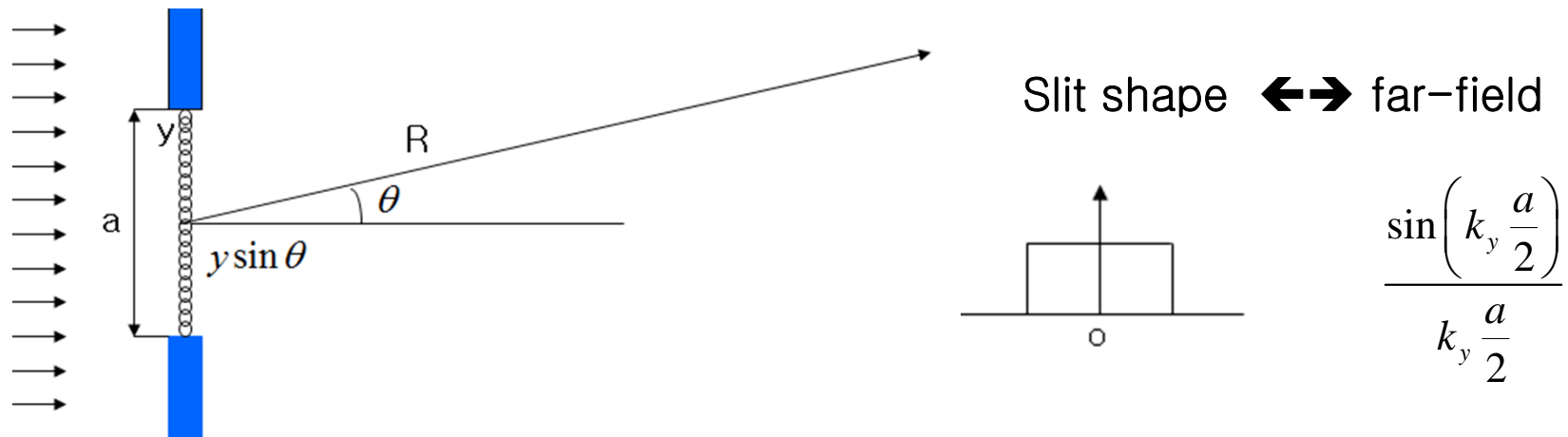
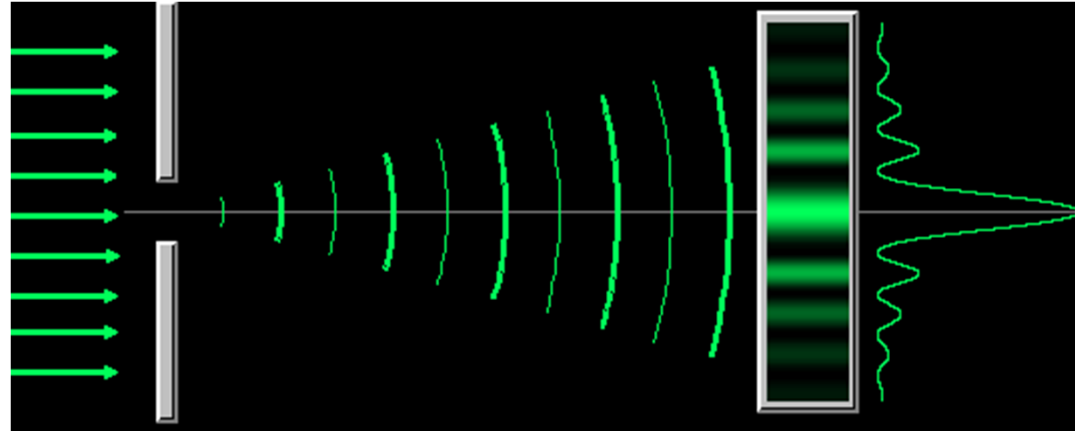


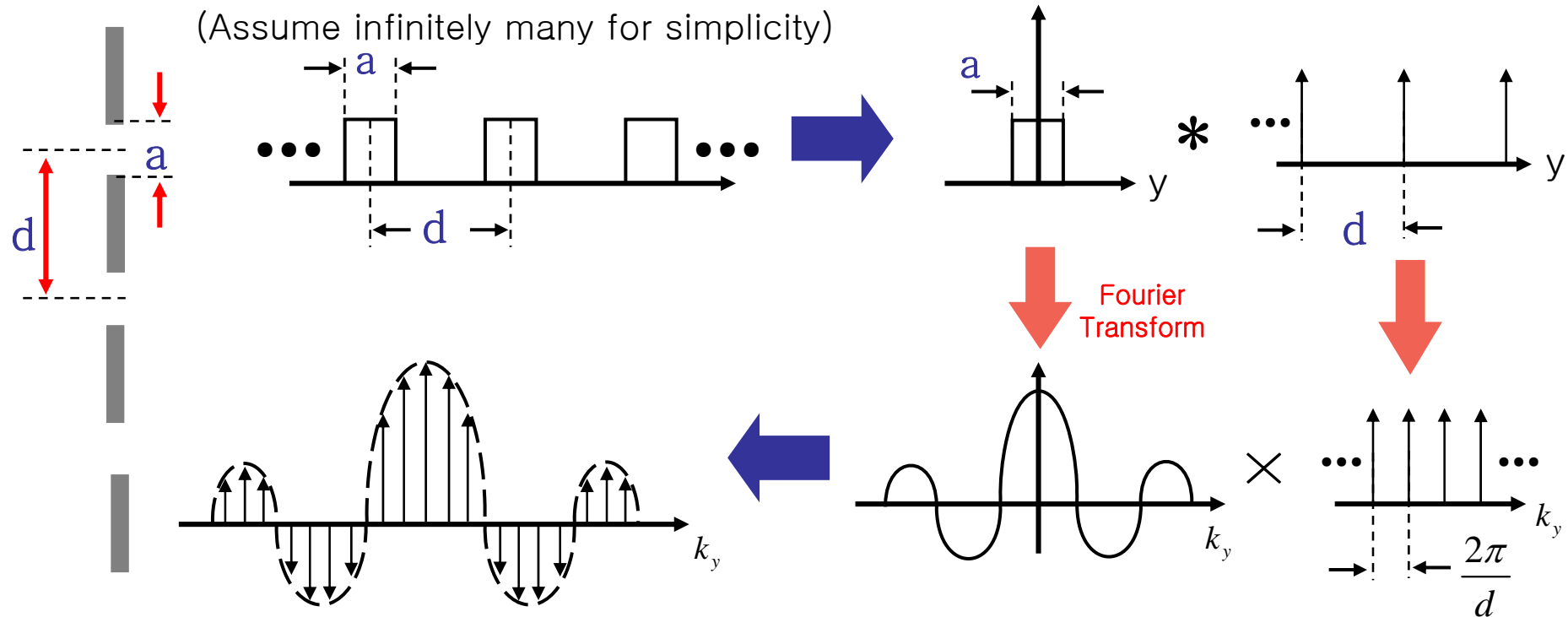
Lect. 12: Diffraction Gratings



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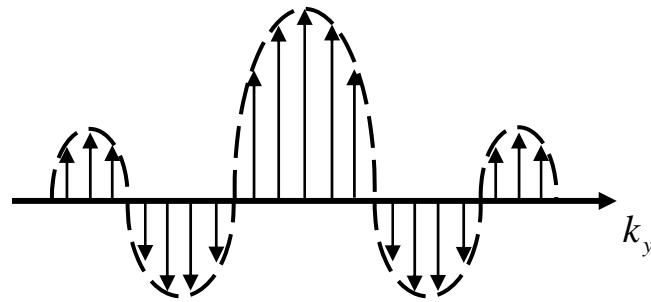
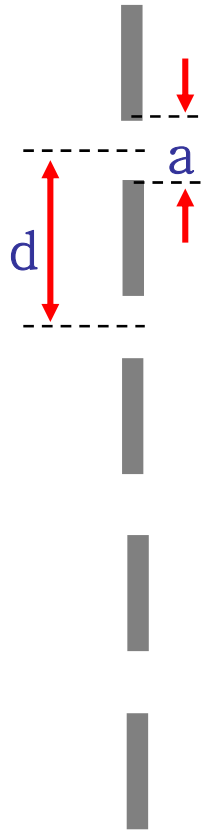


Diffraction light from periodic slits (Diffraction Grating)

==> Far-field with only discrete k_y 's



Lect. 12: Diffraction Gratings



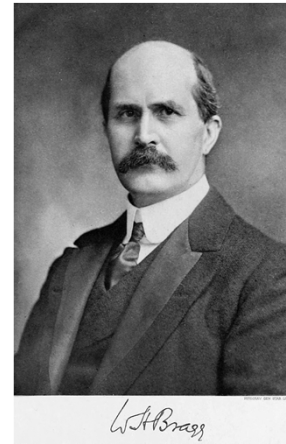
$$k_y = m \frac{2\pi}{d}$$

$$\frac{\sin \theta}{\lambda} = m \cdot \frac{1}{d}$$

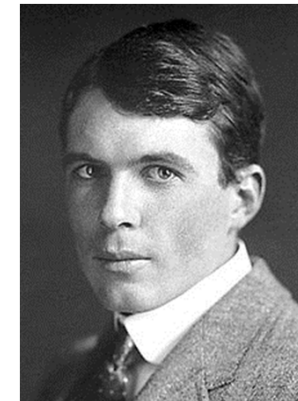
$$d \sin \theta = m \lambda$$

Grating equation

Bragg Condition



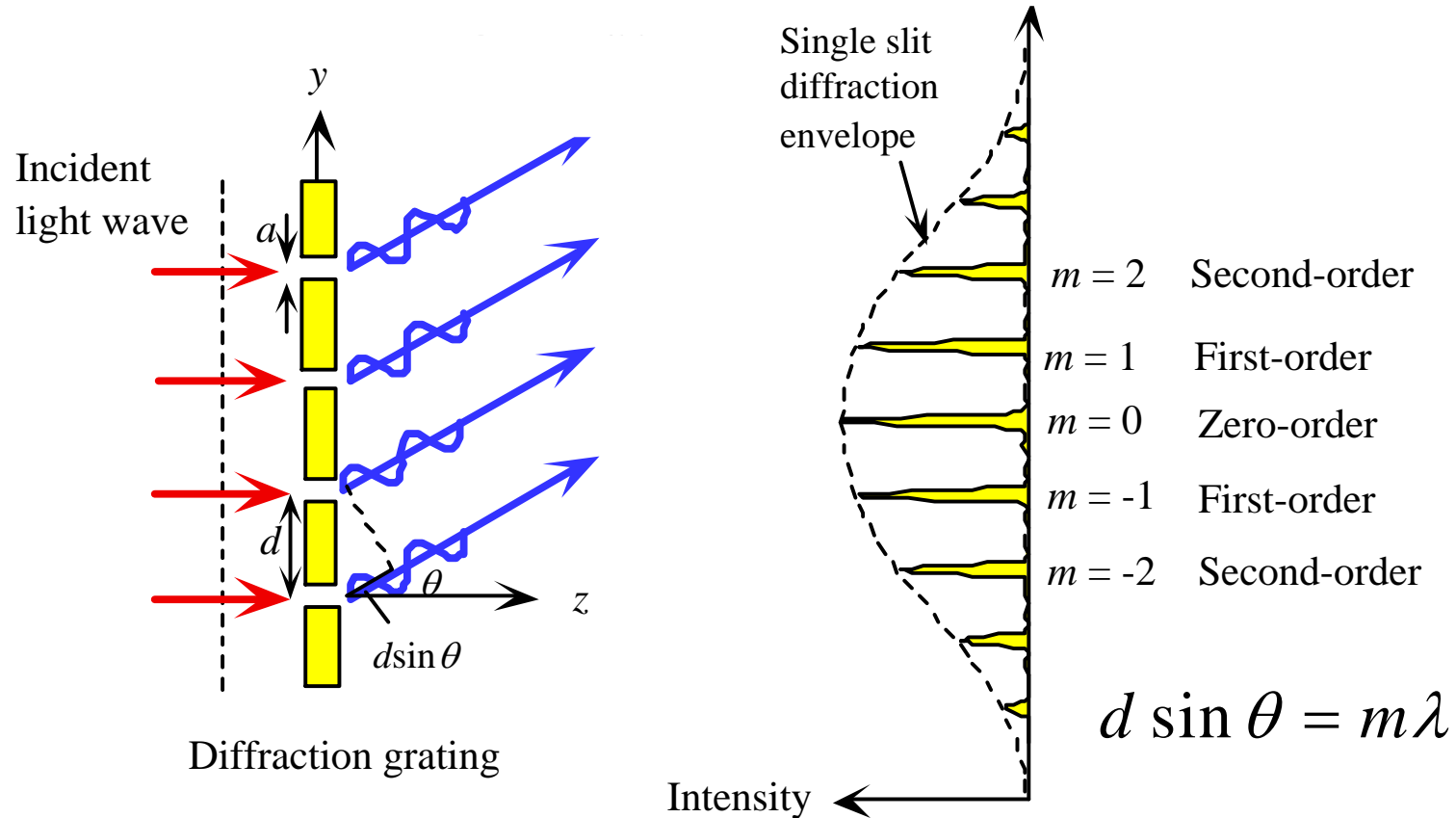
William Henry Bragg
(1862-1942)



William Lawrence Bragg
(1890-1971)

Nobel Prize in Physics (1915)

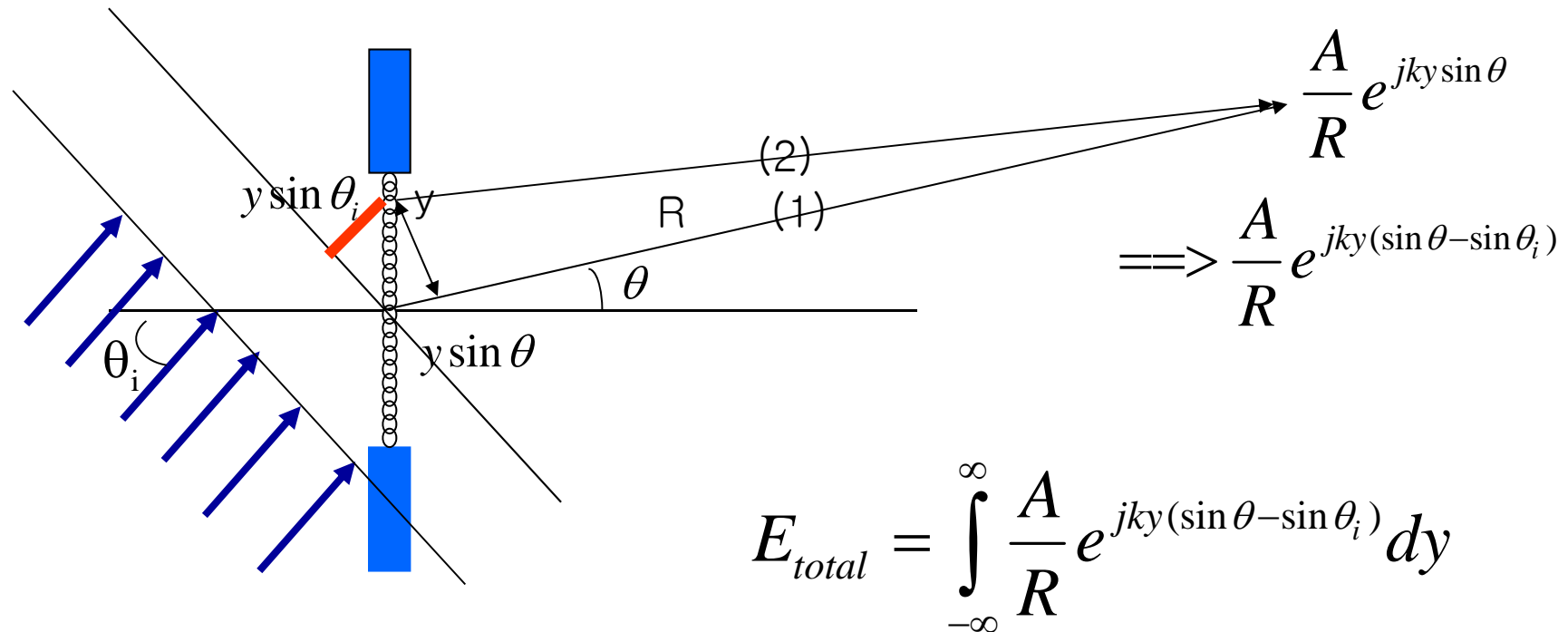
Lect. 12: Diffraction Gratings



Width for each diffracted beam?

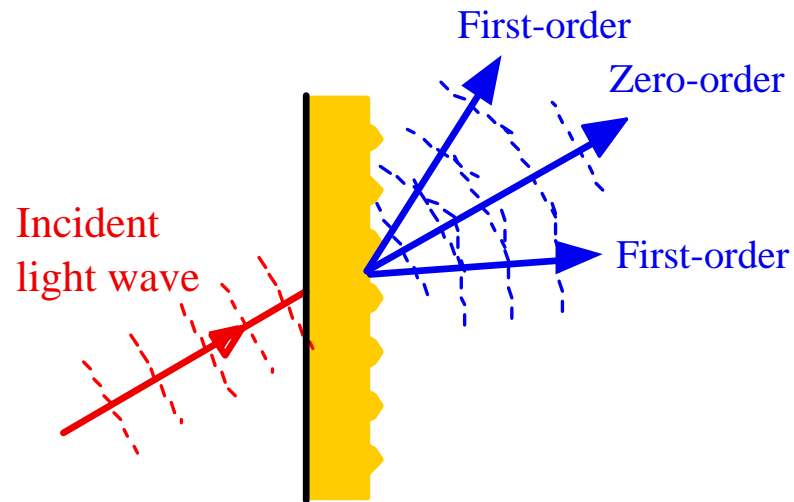
Lect. 12: Diffraction Gratings

Input with tilted angle



Lect. 12: Diffraction Gratings

Tilted incidence on grating



$$d \sin \theta = m \lambda$$

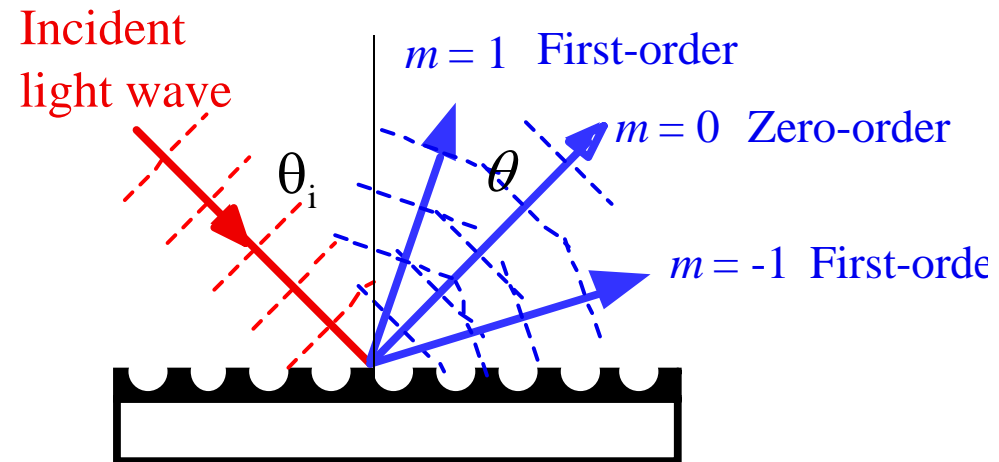
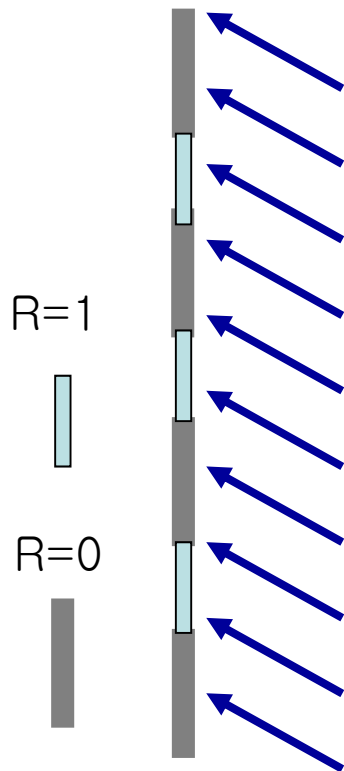
→ $d(\sin \theta - \sin \theta_i) = m \cdot \lambda$

Lect. 12: Diffraction Gratings

Same diffraction equation applies

Reflection-type grating

$$d(\sin \theta - \sin \theta_i) = m \cdot \lambda$$



Reflection grating

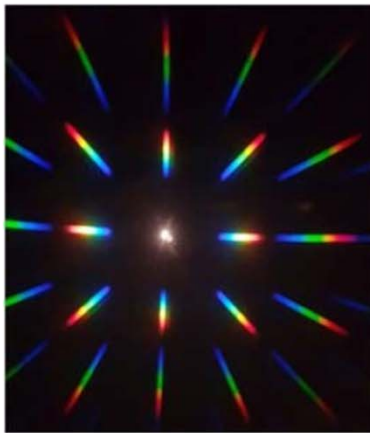
Grating can be realized as long as reflection surface is **periodic**

Gratings are widely used as λ demultiplexer

Lect. 12: Diffraction Gratings

Homework

The following figure shows the moon looked through a two-dimensional diffraction grating. The grating period in both x-direction and y-direction is d .



- (a) Why are there discrete bands of diffracted light?
- (b) Why is the red further away from the image of the moon in the center than the blue within the same band?
- (c) Explain how you can estimate the distance between the moon and the earth from above figure. Use d , the grating period, and x , the distance between the center and a point of a particular color whose wavelength is λ .