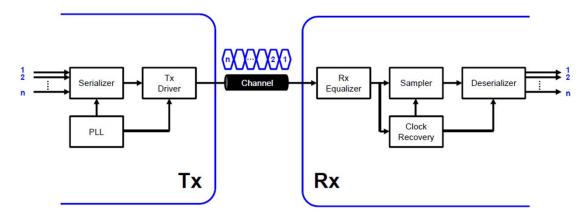
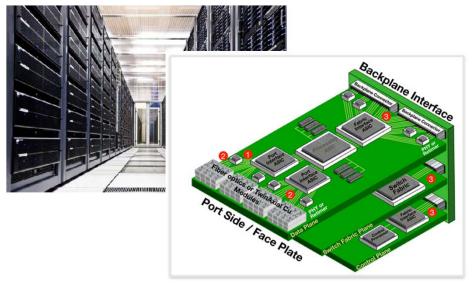
High-speed Serial Interface

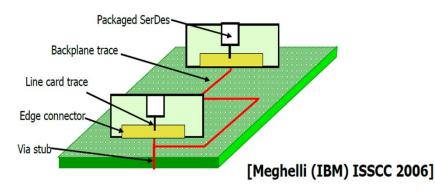
Lect. 6 - Channels

(Ref.: Prof. Palermo's Lecture Notes for "High-Speed Links Circuits and Systems", Texas A&M)

High-Speed Serial Interface



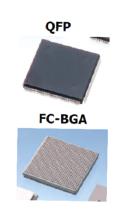


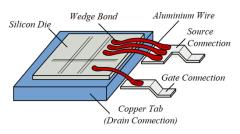


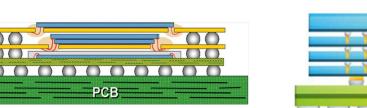
Chip Packages

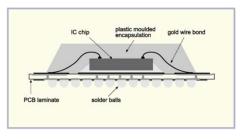
Package Type	Pin Count	
Small Outline Package (SOP)	8 – 56	
Quad Flat Package (QFP)	64 - 304	
Plastic Ball Grid Array (PBGA)	256 - 420	
Enhanced Ball Grid Array (EBGA)	352 - 896	
Flip Chip Ball Grid Array (FC-BGA)	1089 - 2116	

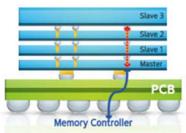


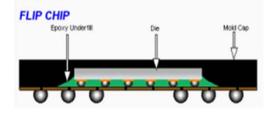




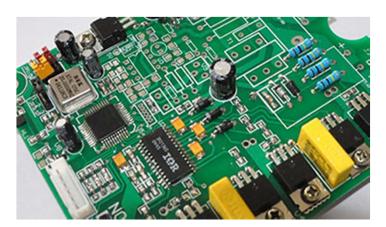


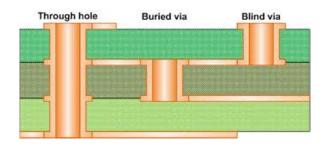




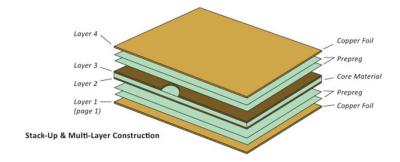


- Very important aspect of performance and cost
- Must be considered for high-speed design





PCB

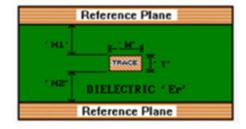


- Pattern individual core layers
- Stack up core layers separated by prepreg (FR4, Flame Retardant)
- Place copper foils top and bottom
- 'Cook' in the oven with pressure
- Drill via holes and electro-plate
- Pattern top/bottom layers
- For buried via, stack after drilling and electro-plating
- FR4-based PCBs are mass-producible but lossy at high frequencies
- Since they are well established and cost-effective, industry does not want to replace it with better-performance materials

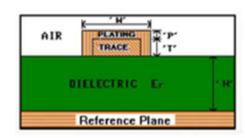
PCB Traces

- Interconnects for high-speed signals require two metal electrodes separated by dielectric insulator
 - → Transmission Line

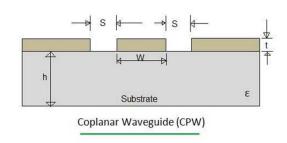
Strip line



Microstrip Line



Coplanar Waveguide

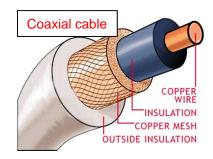


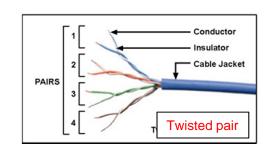
TL Parameters: L, C, R, G (per unit length)

Loss: conductor loss, dielectric loss

Cables

- Coaxial cable
- Mineral-insulated copper-clad cable
- Twinax cable
- Flexible cables
- Non-metallic sheathed cable
- Metallic sheathed cable
- Multicore cable
- Shielded cable
- Single cable
- Twisted pair
- Twisting cable



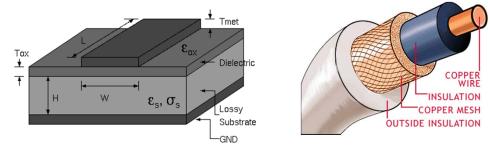


Name	Type	Bandwidth	Applications
Level		0.4 MHz	Telephone and modem lines
Level 2		4 MHz	Older terminal systems, e.g IBM 3270
Cat3	UTP ^[7]	16 MHz ^[7]	10BASE-T and 100BASE- T4 Ethernet ^[7]
Cat4	UTP[7]	20 MHz ^[7]	16 Mbit/s ^[7] Token Ring
Cat5	UTP[7]	100 MHz ^[7]	100BASE-TX & 1000BASE-T Ethernet ^[7]
Cat5e	UTP ^[7]	100 MHz ^[7]	100BASE-TX & 1000BASE-T Ethernet ^[7]
Cat6	UTP ^[7]	250 MHz ^[7]	10GBASE-T Ethernet
Cat6a		500 MHz	10GBASE-T Ethernet
Class F	S/FTP	600 MHz ^[7]	Telephone, CCTV, 1000BASE-TX in the same cable. 10GBASE-T Ethernet.
Class Fa		1000 MHz	Telephone, CATV, 1000BASE-TX in the same cable, 10GBASE-T

Cables are usually used for longer and flexible interconnects High-quality cables provide good performance but expensive Lossy at very high frequencies → Optical fiber

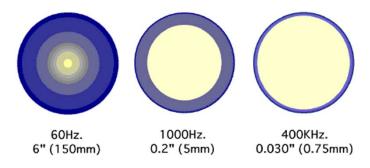
Conductor Loss

 Conductors used for traces and cables have high but finite conductivity (R among four trace circuit parameters)



As frequency increases, skin depth decreases resulting in larger resistance

CURRENT PENETRATION DEPTH IN STEEL (CURRENT SHOWN IN BLUE)

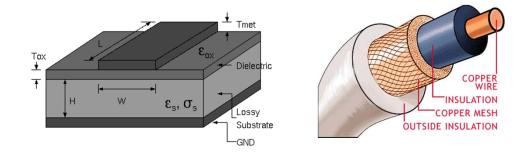


$$R(f) = R_{DC} \left(\frac{f}{f_s}\right)^{\frac{1}{2}}$$

- Conductor loss is proportional to \sqrt{f}

Dielectric loss

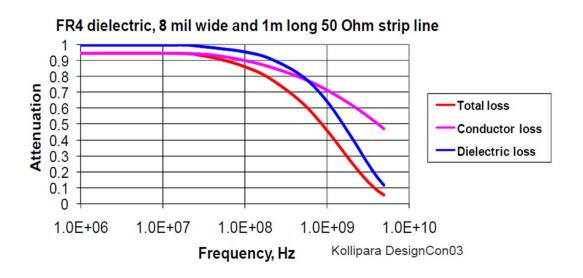
Loss in the insulator between metal layers



- Due to small but non-zero conductivity in the insulator
 (G among four trace circuit parameters)
- Dielectric loss is proportional to f

Channel loss

Total loss: Sum of conductor loss and dielectric loss

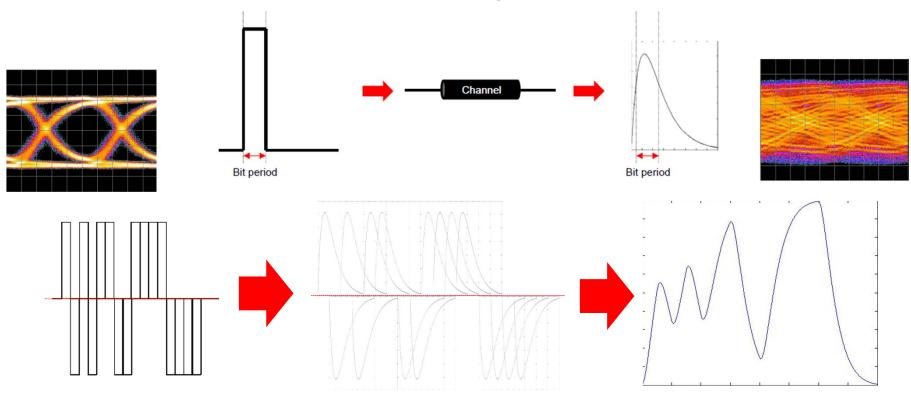


- In low frequency, conductor loss > dielectric loss
- In high frequency, conductor loss < dielectric loss

Bandwidth limitation due to f-dependent loss!

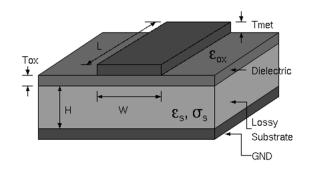
Inter-symbol interference due to f-dependent loss

Broadened pulse response through the channel

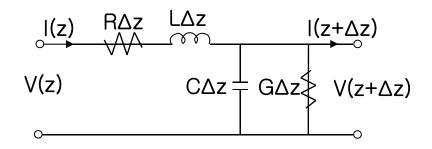


Challenges for high-speed serial links

Channel Modeling: Transmission Line



Circuit Model



Analyze the circuit in the frequency domain

$$V(z) - I(z)R\Delta z - I(z)j\omega L\Delta z = V(z + \Delta z)$$

$$\frac{V(z) - V(z + \Delta z)}{\Delta z} = RI(z) + j\omega LI(z)$$

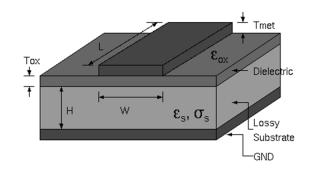
$$\Delta z \to 0$$
 $-\frac{dV(z)}{dz} = (R + j\omega L)I(z)$

$$I(z) - V(z + \Delta z)G\Delta z - V(z + \Delta z)j\omega C = I(z + \Delta z)$$

$$\frac{I(z) - I(z + \Delta z)}{\Delta z} = GV(z + \Delta z) + j\omega CV(z + \Delta z)$$

$$\Delta z \to 0$$
 $-\frac{dI(z)}{dz} = (G + j\omega C)V(z)$

Transmission Line



$$-\frac{dV}{dz} = (R + j\omega L)I \qquad -\frac{dI}{dz} = (G + j\omega C)V$$

$$\frac{d^2V}{dz^2} = (R + j\omega L)(G + j\omega C)V = \gamma^2 V$$
$$\frac{d^2I}{dz^2} = (R + j\omega L)(G + j\omega C)I = \gamma^2 I$$

→ Transmission line equations

Transmission Line

Solutions for transmission line equation

$$\frac{d^2V}{dz^2} = (R + j\omega L)(G + j\omega C)V = \gamma^2 V$$

$$V(z) = V_0^+ e^{-\gamma z} + V_0^- e^{\gamma z}$$

$$\frac{dV}{dz} = -\gamma V_0^+ e^{-\gamma z} + \gamma V_0^- e^{\gamma z}$$

$$\frac{d^2V}{dz^2} = \gamma^2 V(z) \qquad \gamma = \sqrt{(R + j\omega L)(G + j\omega C)} = \alpha + j\beta$$

For
$$V_0^- = 0$$
, $V(z) = V_0^+ e^{-\alpha z} e^{-j\beta z}$ Wave propagation with attenuation

α: attenuation constant

β: phase constant

$$\lambda = \frac{2\pi}{\beta}$$

Transmission Line

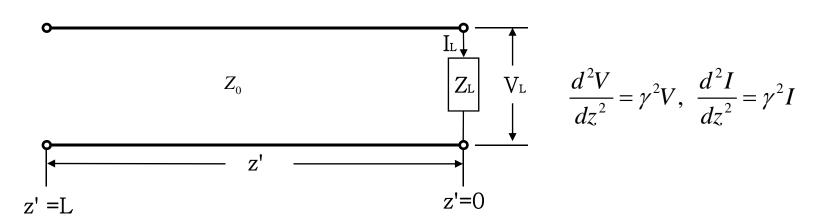
TL Characteristic Impedance:

For
$$V(z) = V_0^+ e^{-\gamma z}$$

From $\frac{dV(z)}{dz} = -(R + j\omega L)I(z)$
 $-\gamma V(z) = -(R + j\omega L)I(z)$
 $Z_0 = \frac{V(z)}{I(z)} = \frac{(R + j\omega L)}{\gamma} = \sqrt{\frac{R + j\omega L}{G + j\omega C}}$

- Z₀ is independent of TL location
- Z_0 is dependent on ω unless R=G=0

- If
$$R=G=0$$
, $Z_0 = \sqrt{\frac{L}{C}}$



It can be shown

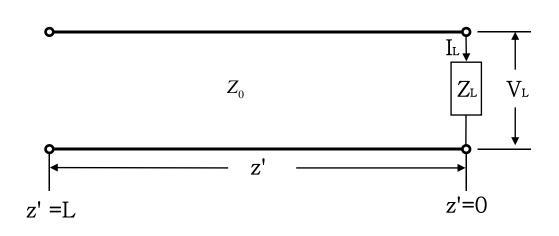
$$V(z') = \frac{I_L}{2} (Z_L + Z_0) e^{\gamma z'} \left[1 + \Gamma e^{-2\gamma z'} \right]$$

$$V(z') = \frac{I_L}{2} (Z_L + Z_0) e^{\gamma z'} \left[1 + \Gamma e^{-2\gamma z'} \right] \qquad I(z') = \frac{I_L}{2Z_0} (Z_L + Z_0) e^{\gamma z'} \left[1 - \Gamma e^{-2\gamma z'} \right]$$

$$\Gamma = \frac{Z_L - Z_0}{Z_L + Z_0}$$
 Reflection Coefficient

 Γ = -1 for short Γ = 1 for open

$$Z(z') = Z_0 \frac{1 + \Gamma e^{-2\gamma z'}}{1 - \Gamma e^{-2\gamma z'}}$$



$$V(z') = \frac{I_L}{2} (Z_L + Z_0) e^{\gamma z'} \left[1 + \Gamma e^{-2\gamma z'} \right]$$

$$V(z') = \frac{I_L}{2} (Z_L + Z_0) e^{\gamma z'} \left[1 + \Gamma e^{-2\gamma z'} \right]$$

$$V_L$$

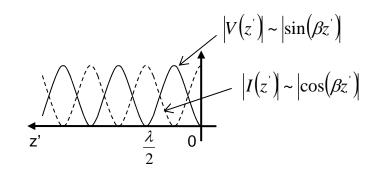
$$I(z') = \frac{I_L}{2Z_0} (Z_L + Z_0) e^{\gamma z'} \left[1 - \Gamma e^{-2\gamma z'} \right]$$

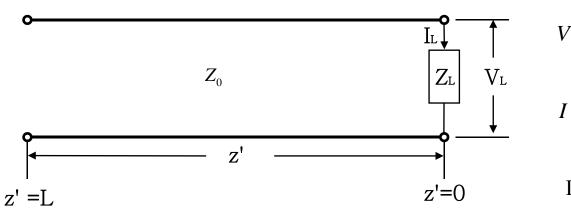
$$\Gamma = \frac{Z_L - Z_0}{Z_L + Z_0}$$

For $\gamma = j\beta$ and $Z_L = 0$

$$\left|V\left(z'\right)\right| \sim \left|1 + \Gamma e^{-j2\beta z'}\right| = \left|1 - e^{-j2\beta z'}\right| = \left|e^{-j\beta z'} \cdot \left(e^{j\beta z'} - e^{-j\beta z'}\right)\right| = 2\left|\sin\left(\beta z'\right)\right|$$

$$\left| I(z') \right| = 2 \left| \cos(\beta z') \right|$$



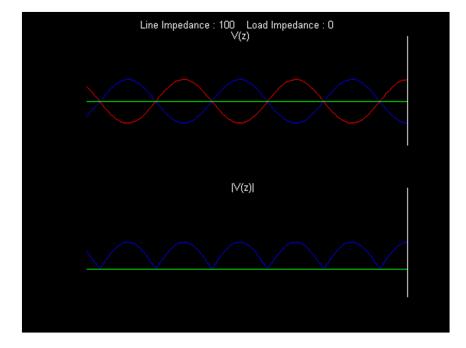


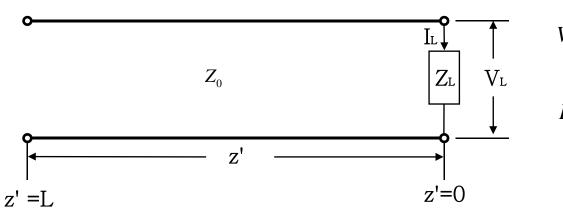
$$V(z') = \frac{I_L}{2} (Z_L + Z_0) e^{\gamma z'} \left[1 + \Gamma e^{-2\gamma z'} \right]$$

$$I(z') = \frac{I_L}{2Z_0} (Z_L + Z_0) e^{\gamma z'} \left[1 - \Gamma e^{-2\gamma z'} \right]$$

$$\Gamma = \frac{Z_L - Z_0}{Z_L + Z_0}$$

For $\gamma = j\beta$ and $Z_L = 0$



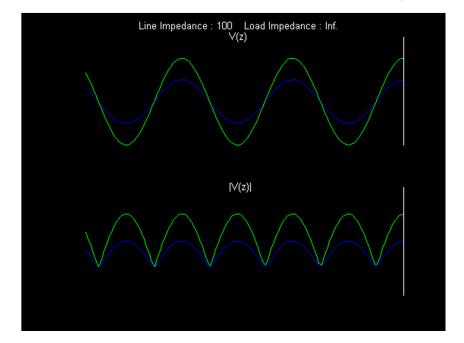


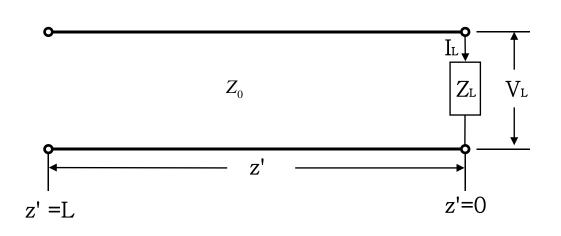
$$V(z') = \frac{I_L}{2} (Z_L + Z_0) e^{\gamma z'} \left[1 + \Gamma e^{-2\gamma z'} \right]$$

$$I(z') = \frac{I_L}{2Z_0} (Z_L + Z_0) e^{\gamma z'} \left[1 - \Gamma e^{-2\gamma z'} \right]$$

$$\Gamma = \frac{Z_L - Z_0}{Z_L + Z_0}$$

For $\gamma = j\beta$ and Z_L open

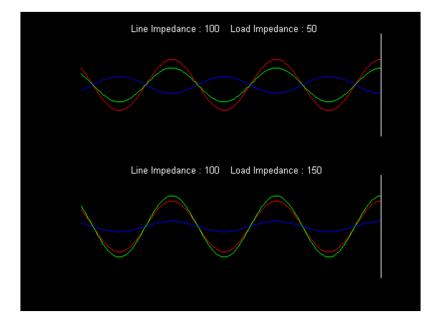




$$V(z') = \frac{I_L}{2} (Z_L + Z_0) e^{\gamma z'} \left[1 + \Gamma e^{-2\gamma z'} \right]$$

$$I(z') = \frac{I_L}{2Z_0} (Z_L + Z_0) e^{\gamma z'} \left[1 - \Gamma e^{-2\gamma z'} \right]$$

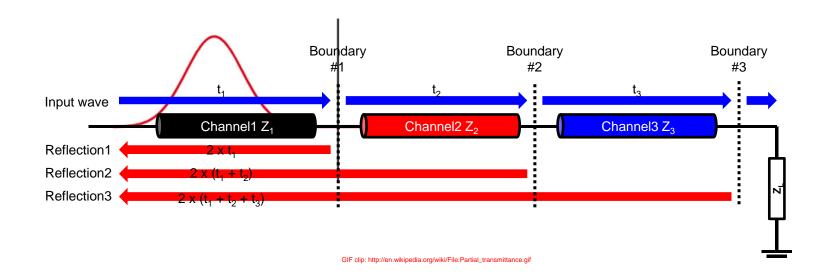
$$\Gamma = \frac{Z_L - Z_0}{Z_L + Z_0}$$



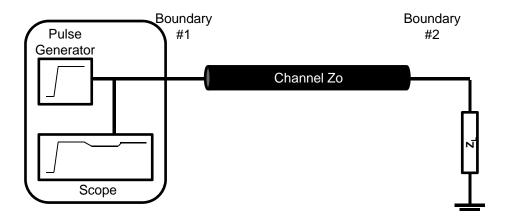
Impedance matching is very important for high-speed circuits

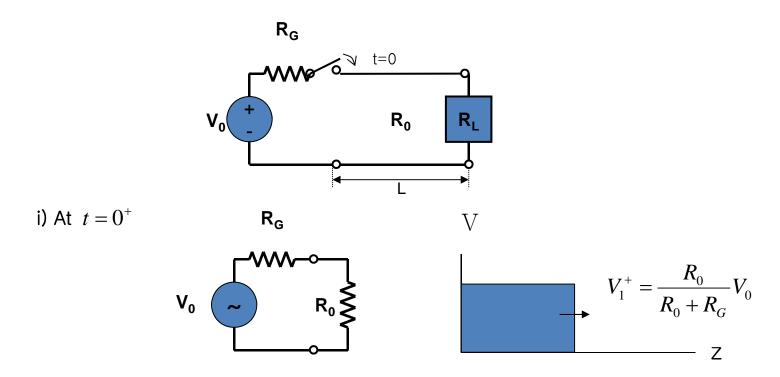
Time-Domain Reflectometer

- Reflection is generated at boundaries if impedance is discontinuous
- Traveling time for each reflected wave can be different
- Channel characteristics can be determined by measuring reflected waves

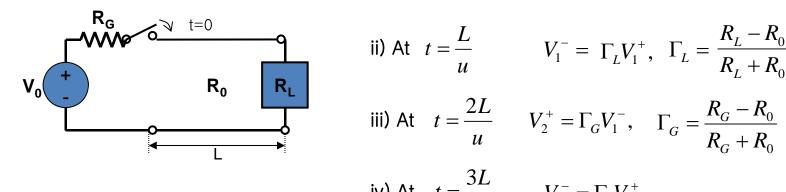


- Pulse generator produces step input with very large period.
- Scope measures the pulse shape





Initially, the voltage wave "sees" only R_0 . => Voltage divider



ii) At
$$t = \frac{L}{u}$$

ii) At
$$t = \frac{L}{u}$$
 $V_1^- = \Gamma_L V_1^+, \quad \Gamma_L = \frac{R_L - R_0}{R_L + R_0}$

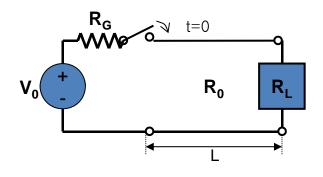
iii) At
$$t = \frac{2L}{u}$$

$$V_2^+ = \Gamma_G V_1^-, \quad \Gamma_G^- = \frac{R_G - R_0}{R_G + R_0}$$

iv) At
$$t = \frac{3L}{u}$$
 $V_2^- = \Gamma_L V_2^+, \dots$

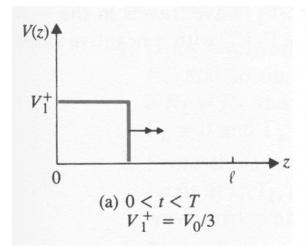
$$V_2^- = \Gamma_L V_2^+, \dots$$

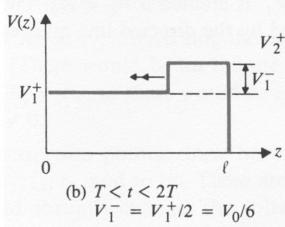
$$\begin{split} V_{total(t=\infty)} &= V_1^+ + V_1^- + V_2^+ + V_2^- + \dots \\ &= V_1^+ \left(1 + \Gamma_L + \Gamma_L \Gamma_G + \Gamma_L^2 \Gamma_G + \Gamma_L^2 \Gamma_G^2 + \Gamma_L^3 \Gamma_G^2 + \dots \right) \\ &= V_1^+ [(1 + \Gamma_L \Gamma_G + \Gamma_L^2 \Gamma_G^2 + \dots) + \Gamma_L (1 + \Gamma_L \Gamma_G + \Gamma_L^2 \Gamma_G^2 + \dots)] \\ &= V_1^+ \left(\frac{1 + \Gamma_L}{1 - \Gamma_L \Gamma_G} \right) = \left(\frac{R_0}{R_0 + R_G} \right) V_0 \left(\frac{1 + \Gamma_L}{1 - \Gamma_L \Gamma_G} \right) \\ &= \left(\frac{R_L}{R_L + R_G} \right) V_0 \end{split}$$
No TL effect:
All the wave characteristics have died out!

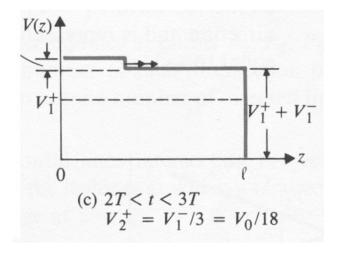


Example)
$$R_L = 3R_0$$
, $R_G = 2R_0$

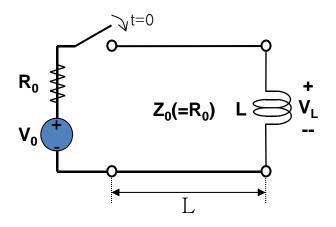
$$\Gamma_L = \frac{R_L - R_0}{R_L + R_0} = \frac{2R_0}{4R_0} = \frac{1}{2}, \ \Gamma_G = \frac{R_G - R_0}{R_G + R_0} = \frac{R_0}{3R_0} = \frac{1}{3}$$







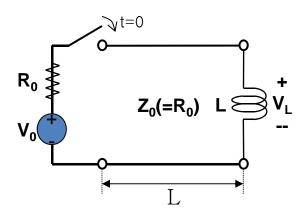
$$V_{tot(t=\infty)} = \frac{3}{5}V_0$$

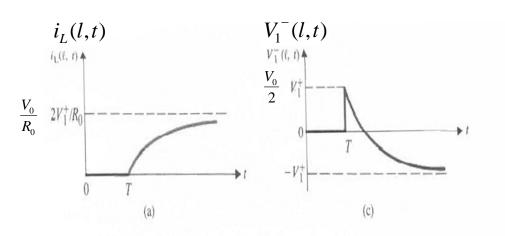


$$\Gamma_L = \frac{Z_L - Z_0}{Z_L + Z_0} \qquad Z_L = ?$$

$$Z_L = j\omega L \quad \Longrightarrow \text{ only for sinusoidal signals}$$

- Requires somewhat complicated transient analysis
- But remember an inductor acts like open-circuit initially and short-circuit finally in its transient response





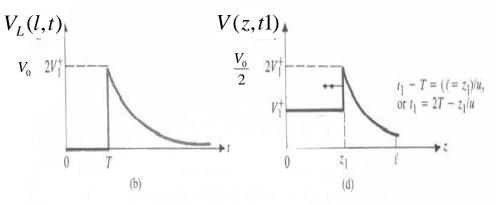
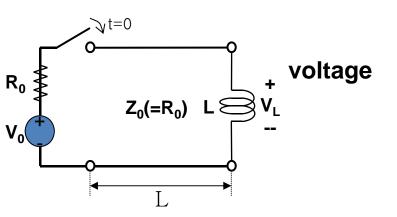
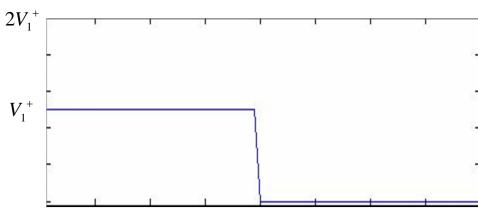
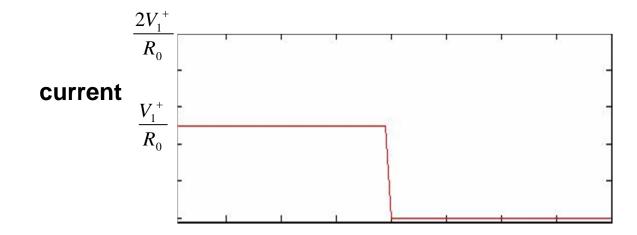


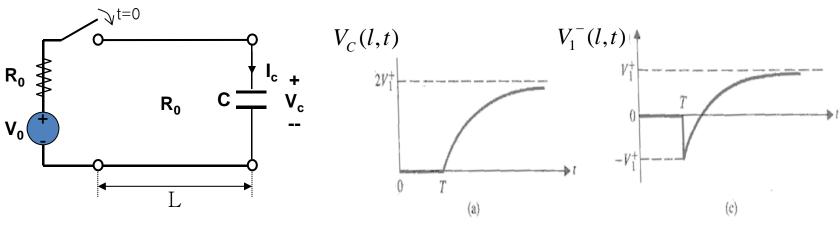
FIGURE 9-27 Transient responses of a lossless line with an inductive termination.







Time-domain reflectometer



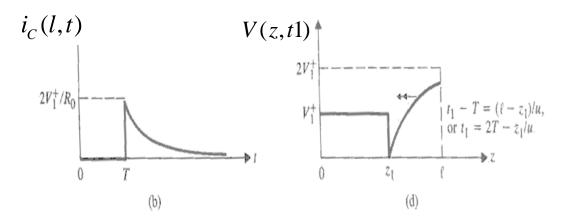
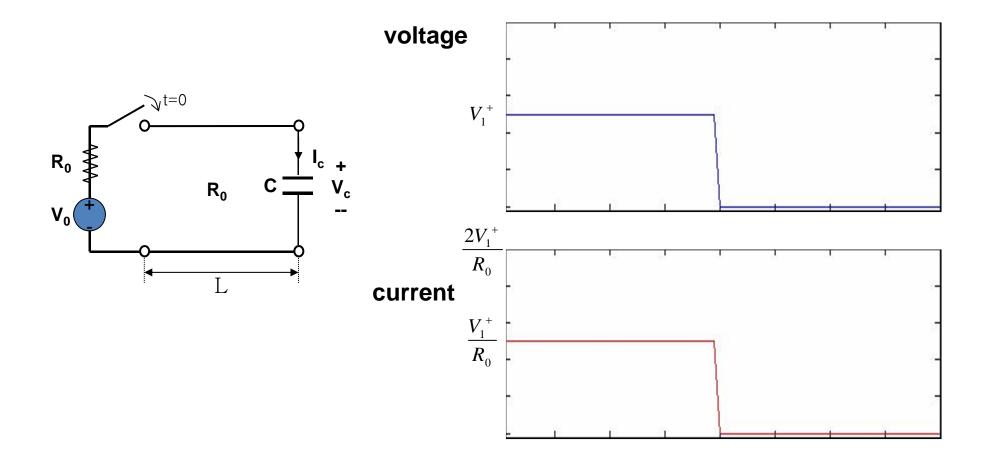
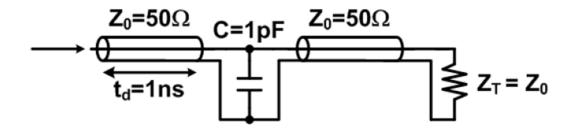


FIGURE 9-29 Transient responses of a lossless line with a capacitive termination.

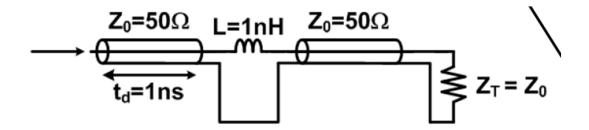
Time-domain reflectometer



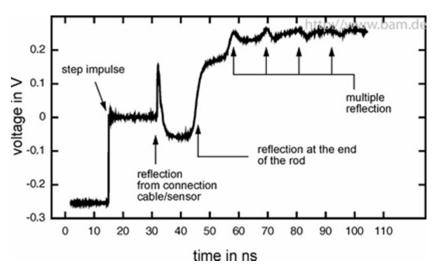
TDR for shunt C discontinuity?



TDR for series L discontinuity?

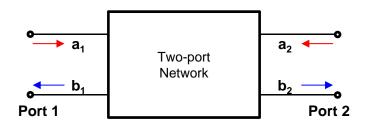


- What to be evaluated from TDR results?
 - Characteristic impedance of each segmented channel.
 - Recently-released oscilloscope software calculates characteristic impedance automatically.



http://www.bam.de/en/kompetenzen/fachabteilungen/abteilung_8/fg82/fachgruppe_82n.htm

S-parameters



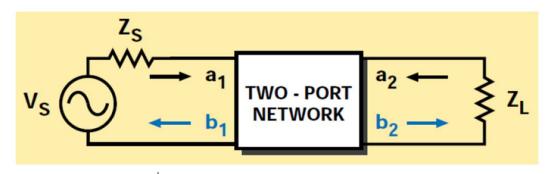
S-parameters

$$\begin{bmatrix} b_1 \\ b_2 \end{bmatrix} = \begin{bmatrix} s_{11} & s_{12} \\ s_{21} & s_{22} \end{bmatrix} \begin{bmatrix} a_1 \\ a_2 \end{bmatrix}$$

$$V_{1,2} = V_{1,2}^{+} + V_{1,2}^{-}, I_{1,2} = I_{1,2}^{+} - I_{1,2}^{-}$$

$$a_{1,2} = \frac{V_{1,2}^{+}}{\sqrt{Z_0}} \qquad b_{1,2} = \frac{V_{1,2}^{-}}{\sqrt{Z_0}} \qquad |a|^2, |b|^2 \implies \text{power}$$

S-parameters



[Agilent]

$$s_{11} = \frac{b_1}{a_1} \Big|_{a_2 = 0}$$
 = Input reflection coefficient with the output port terminated by a matched load ($Z_L = Z_0$ sets $a_2 = 0$)

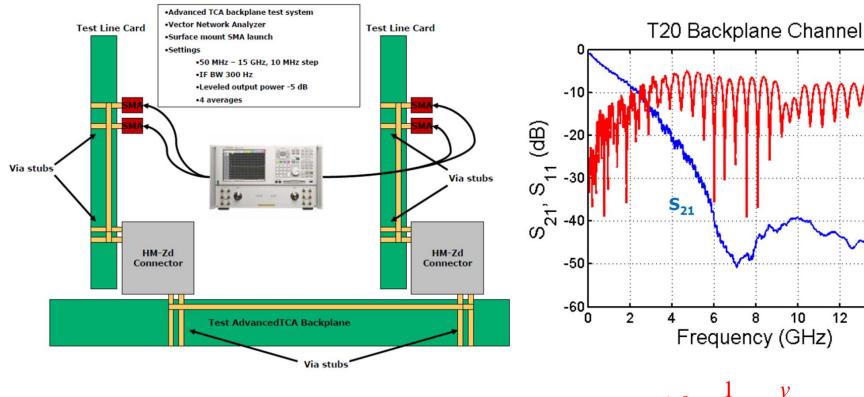
$$s_{22} = \frac{b_2}{a_2} \bigg|_{\substack{a_1 = 0}} = \begin{array}{l} \text{Output reflection coefficient} \\ \text{with the input terminated by a} \\ \text{matched load } (Z_S = Z_0 \text{ sets } V_s = 0) \end{array}$$

$$s_{21} = \frac{b_2}{a_1}\Big|_{a_2=0}$$
 = Forward transmission (insertion) gain with the output port terminated in a matched load.

$$s_{12} = \frac{b_1}{a_2}\Big|_{a_1=0}$$
 = Reverse transmission (insertion) gain with the input port terminated in a matched load.

S- parameters are complex numbers (magnitude and phase)

S-parameter: Example



$$\Delta f = \frac{1}{T} = \frac{v}{2L}$$

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